

패널 자료 분석의 방법론

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KIEP

패널 자료

- 개별단위들을 복수의 기간에 추적함
- Longitudinal data라고도 함
- 두 첨자(i, t)
- 예: 노동패널, 복지패널, 지역별 패널, 국가별 패널 등

PANEL DATA SET 만들기

```
. use quarterly  
  
. *encode countryname, gen(id)  
. egen id = group(countryname)  
  
. order id, after(countryname)  
  
. gen time = (year-1962)*4+qtr  
  
. order time, after(qtr)  
  
. su id time
```

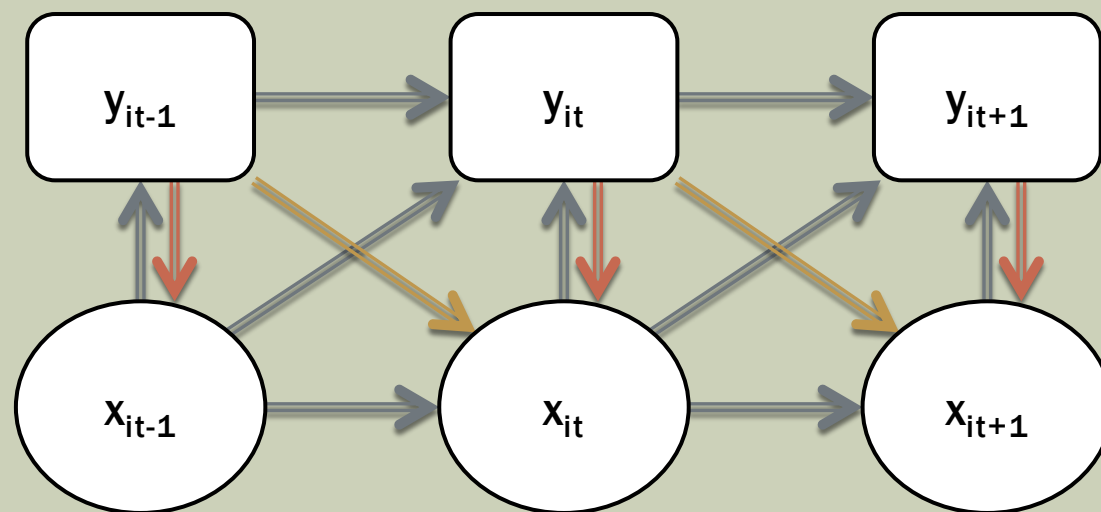
Variable	Obs	Mean	Std. Dev.	Min	Max
id	10327	63.42549	37.13958	1	127
time	10327	134.6049	41.56707	1	192

```
. xtset id time  
    panel variable:  id (unbalanced)  
    time variable:  time, 1 to 192, but with gaps  
                delta:  1 unit
```

선형모형

- $y_{it} = a + b * X_{it} + v_{it}$, $X_{it} = [x_{it}, z_i]$
 - x 가 외생적인지 내생적인지에 따라 처리방법이 달라짐
 - 외생성의 의미?
 - v 에 가정을 부여하여 모형을 다룰 수 있게 만듦
 - 설명변수의 내생성을 해결
 - 올바른 standard error를 계산
 - b 가 homogenous or heterogenous?

참고: 패널 외생성과 내생성



Strictly exogenous



Predetermined



Endogenous

외생적인 설명변수

■ X가 strictly exogenous하면

- Strict exogeneity는 현재의 X는 현재 및 과거의 v (즉 y 에 대한 충격)와 무관함을 의미함

■ 참고

- X가 현재의 v 와 무관하고 과거의 v 에 의해 영향을 받는다면 v 에 대하여 “predetermined”라고 함
- X가 현재의 v 에 의해서도 영향을 받는다면(simultaneity) v 에 대하여 “contemporaneously endogenous”하다고 함

■ OLS (pooled OLS)는 unbiased/consistent함

■ 두 가지 issue

- Standard error의 계산
- GLS

외생적인 x에서 OLS 표준오차

■ Conventional

- i간에는 독립(이분산적일 수 있음), 동일한 i내에서는 임의의 자기상관이 존재할 수 있는 것으로 가정함
- `reg y x1 x2, vce(cluster id)`
- 주의: “robust” 옵션은 동일한 i 내에서도 자기상관이 없음을 가정하는 것임

■ Cross sectionally dependent errors: `xtpcse, c(i)`; `xtscc`

- “`xtpcse, i c(i) nmk`” = “`reg`”
- “`xtpcse, het c(i)`”은 동일 i내에서 iid이고 i간에 het임을 가정.
“`reg, robust`” (모든 i와 t에서 het) 와 다름
- `xtscc`: Newey-West의 패널 버전

외생적인 x에서 OLS 표준오차

```
est tab ols ols_r ols_c pcse_i pcse_h pcse scc, b(%6.4f) se stats(N r2_a)
```

Variable	ols	ols_r	ols_c	pcse_i	pcse_h	pcse	scc
vg_port_gdp	0.0460 0.0271	0.0460 0.0521	0.0460 0.1180	0.0460 0.0269	0.0460 0.0350	0.0460 0.0566	0.0460 0.0604
vg_kaopen~d	1.5935 0.1969	1.5935 0.1919	1.5935 0.5392	1.5935 0.1960	1.5935 0.1871	1.5935 0.2273	1.5935 0.2437
vg_TradeO~n	1.2894 0.1492	1.2894 0.1838	1.2894 0.3378	1.2894 0.1485	1.2894 0.1739	1.2894 0.2314	1.2894 0.3239
avg_infl	0.1496 0.0411	0.1496 0.0374	0.1496 0.0274	0.1496 0.0409	0.1496 0.0372	0.1496 0.0441	0.1496 0.0417
vg_GDPgro~h	-0.0756 0.0286	-0.0756 0.0257	-0.0756 0.0563	-0.0756 0.0285	-0.0756 0.0251	-0.0756 0.0448	-0.0756 0.0358
d_GDPgrowth	0.0358 0.0349	0.0358 0.0349	0.0358 0.0699	0.0358 0.0348	0.0358 0.0323	0.0358 0.0411	0.0358 0.0353
vg_Reserv~s	-0.0484 0.0244	-0.0484 0.0197	-0.0484 0.0462	-0.0484 0.0243	-0.0484 0.0208	-0.0484 0.0152	-0.0484 0.0328
_cons	0.4315 0.2474	0.4315 0.2506	0.4315 0.5479	0.4315 0.2463	0.4315 0.2548	0.4315 0.3704	0.4315 0.7177
N	882	882	882	882	882	882	882
r2_a	0.1898	0.1898	0.1898				

legend: b/se

외생적인 x에서 GLS

■ xtglsl

panels(iid), panels(het), panels(cor)
corr(indep), corr(ar1), corr(psar1)

- “xtglsl \$Y \$X, p(i) c(i)” = “reg \$Y \$X”
- p(c): need balanced panel
- c(a), c(p): need regularly spaced panel; * ‘force’ option
- p(c)를 사용하려면 T가 N보다 커야 함

■ xtregar: $v_{it} = u_i + e_{it}$, $e_{it} \sim \text{common AR}(1)$

- “fixed effects”에서도 사용가능

■ xtpcse

- “xtpcse, i c(i|a|p) rho(dw)” = “xtglsl, p(i) c(i|a|p) rho(dw)”
- “c” option은 추정값에 영향을 미치지 않음

XTGLS와 XTPCSE 예

	xtgls			xtpcse			
t\i	i	het	cor	i	het	cor	i/t
ind	.1156 (.0058)	.1116 (.0050)	.1128 (.0022)	.1156 (.0058)	.1156 (.0071)	.1156 (.0072)	ind
ar1	.0938 (.0077)	.0715 (.0087)	.0827 (.0063)	.0950 (.0076)	.0950 (.0131)	.0950 (.0130)	ar1
psar1	.0966 (.0076)	.0716 (.0082)	.0846 (.0057)	.0962 (.0076)	.0962 (.0134)	.0962 (.0136)	psar1

rho 계산 방식의 차이

ERROR COMPONENT MODEL

- 특별한 경우

- $v_{it} = u_i + e_{it}$ 이며 u 와 e 가 독립
- 또한 e 가 i 와 t 에 걸쳐 iid

- 이 경우 더욱 sharp한 FGLS가 가능함

- `xtreg y x1 x2, re`

- Historically, “random effects estimator”라고 함
- 만일 가정이 맞다면 N, T 의 크기와 관계없이 efficient함
- NT 가 크면 FGLS임에도 불구하고 bias가 매우 작음
- 가정이 맞지 않으면 일반적으로 cluster standard error 사용
- `xtreg y x1 x2, re vce(r)` 이는 `vce(cluster id)`와 동일
참고: `reg y x1 x2, vce(r)`은 `vce(cluster id)`와 다름

요점

- 지금까지 설명변수가 엄밀히 외생적인 경우만을 다룸
- 다음에는 설명변수가 내생적인(오차항과 상관있는) 경우를 다룸
 - beta 계수가 의미하는 바는?
 - OLS, GLS 모두 biased and inconsistent
 - xtpcse, xtglsl, “xtreg, re” 모두 우리가 원하는 것과 다른 정보를 줌

BETWEEN과 WITHIN

■ Between group

- Variation across i
- Cross-sectional
- “xtreg, be”

■ Within group

- Variation within i over t
- “xtreg, fe”
- = LSDV (i.e., individual dummies)

■ Model

- $y_{it} = a + b \cdot x_{it} + c \cdot z_i + u_i + e_{it}$
- between: $y_{\bar{i}} = a + b \cdot x_{\bar{i}} + c \cdot z_i + v_{\bar{i}}$
- within: $y_{it} - y_{\bar{i}} = b \cdot (x_{it} - x_{\bar{i}}) + (e_{it} - e_{\bar{i}})$

■ Between

■ Variance

■ Critical

■ "x"

■ With

■ Variance

■ "x"

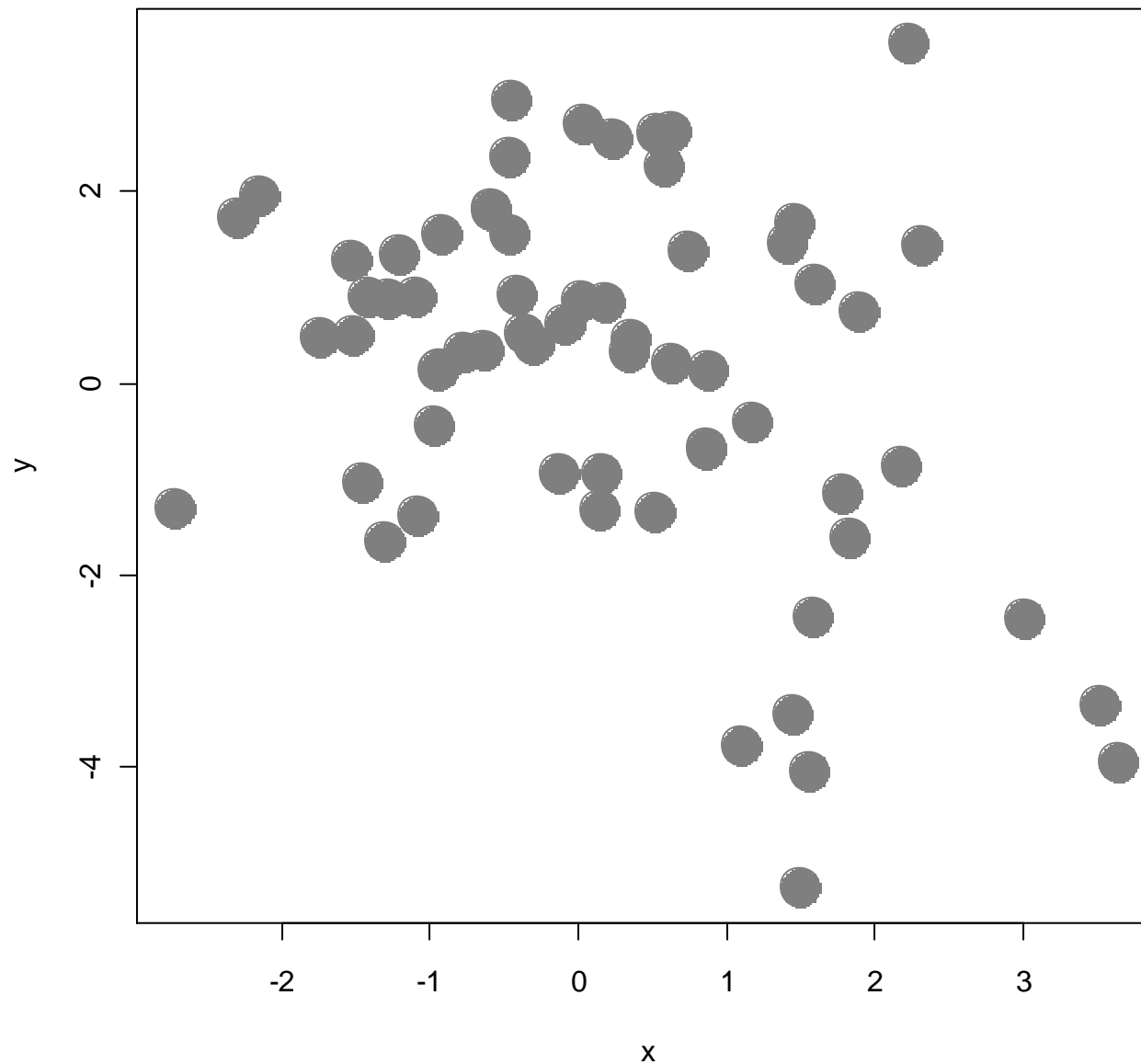
■ =

■ Model

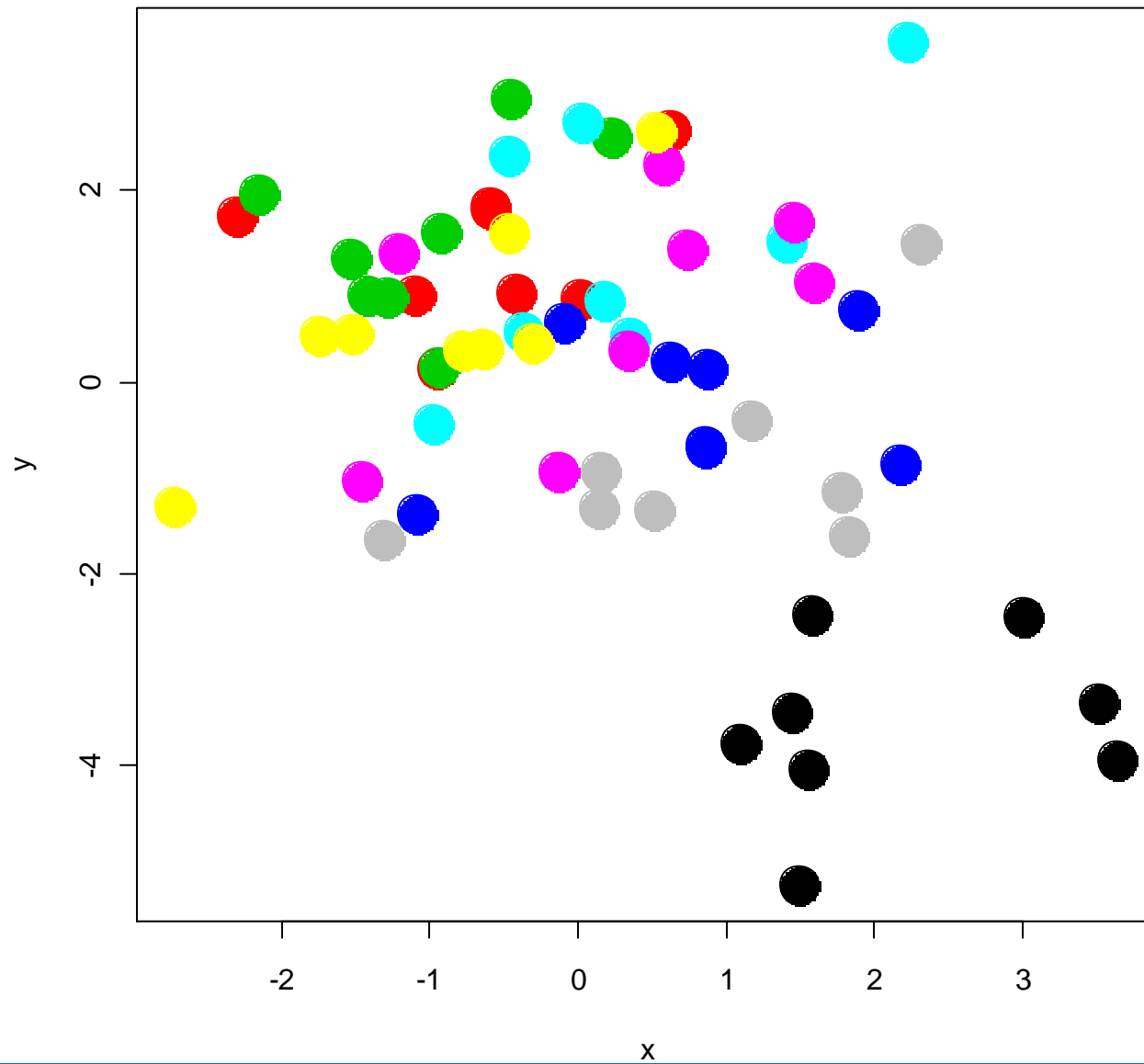
■ y_{it}

■ be

■ wi



■ Betw
■ Va
■ Cr
■ “x
■ With
■ Va
■ “x
■ =
■ Mod
■ y_{it}
■ be
■ wi



■ Between

■ Value

■ Cr

■ "x

■ With

■ Va

■ "x

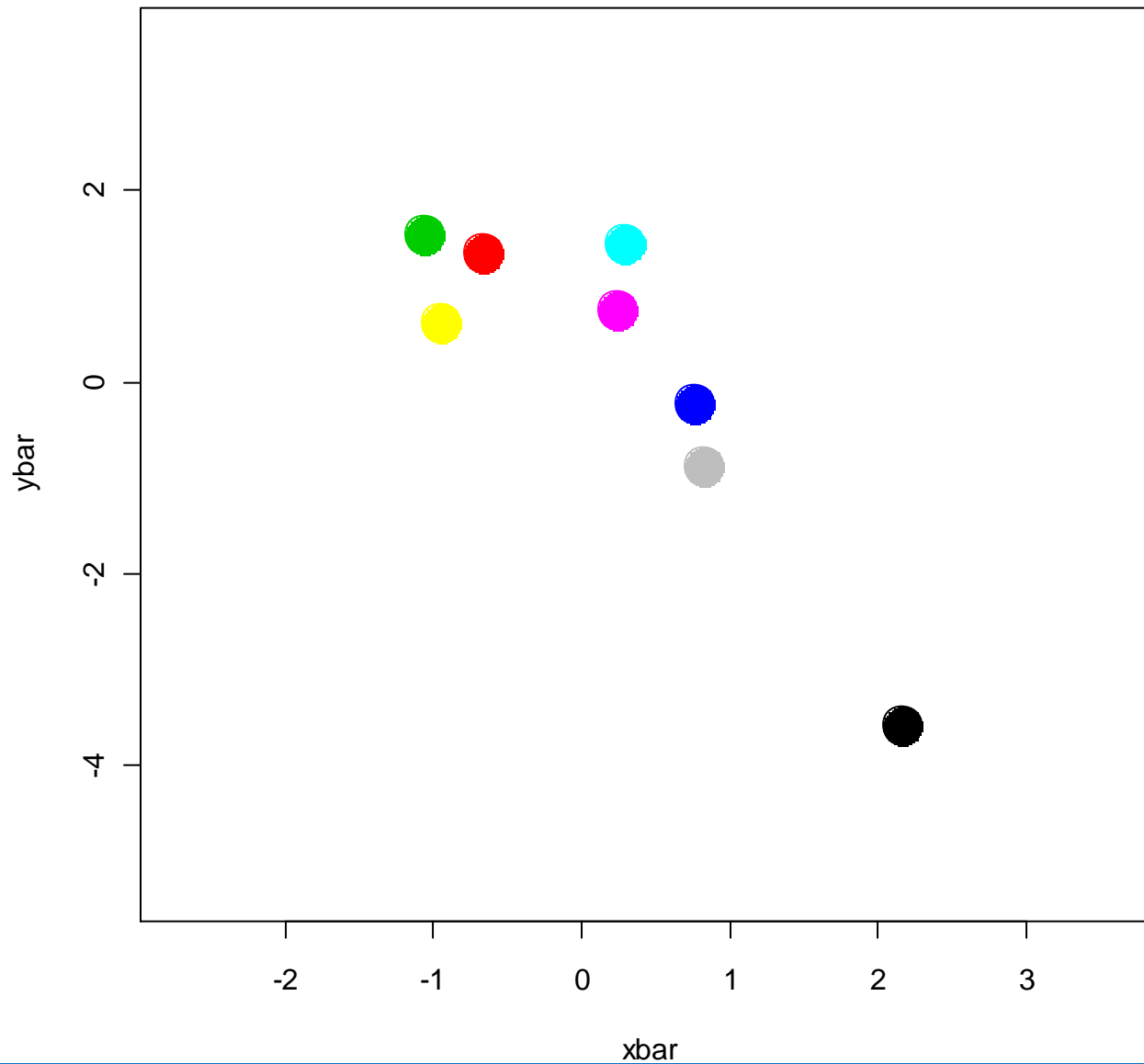
■ =

■ Mod

■ y_{it}

■ be

■ wi



■ Between

■ Variance

■ Critical

■ "x"

■ Within

■ Variance

■ "x"

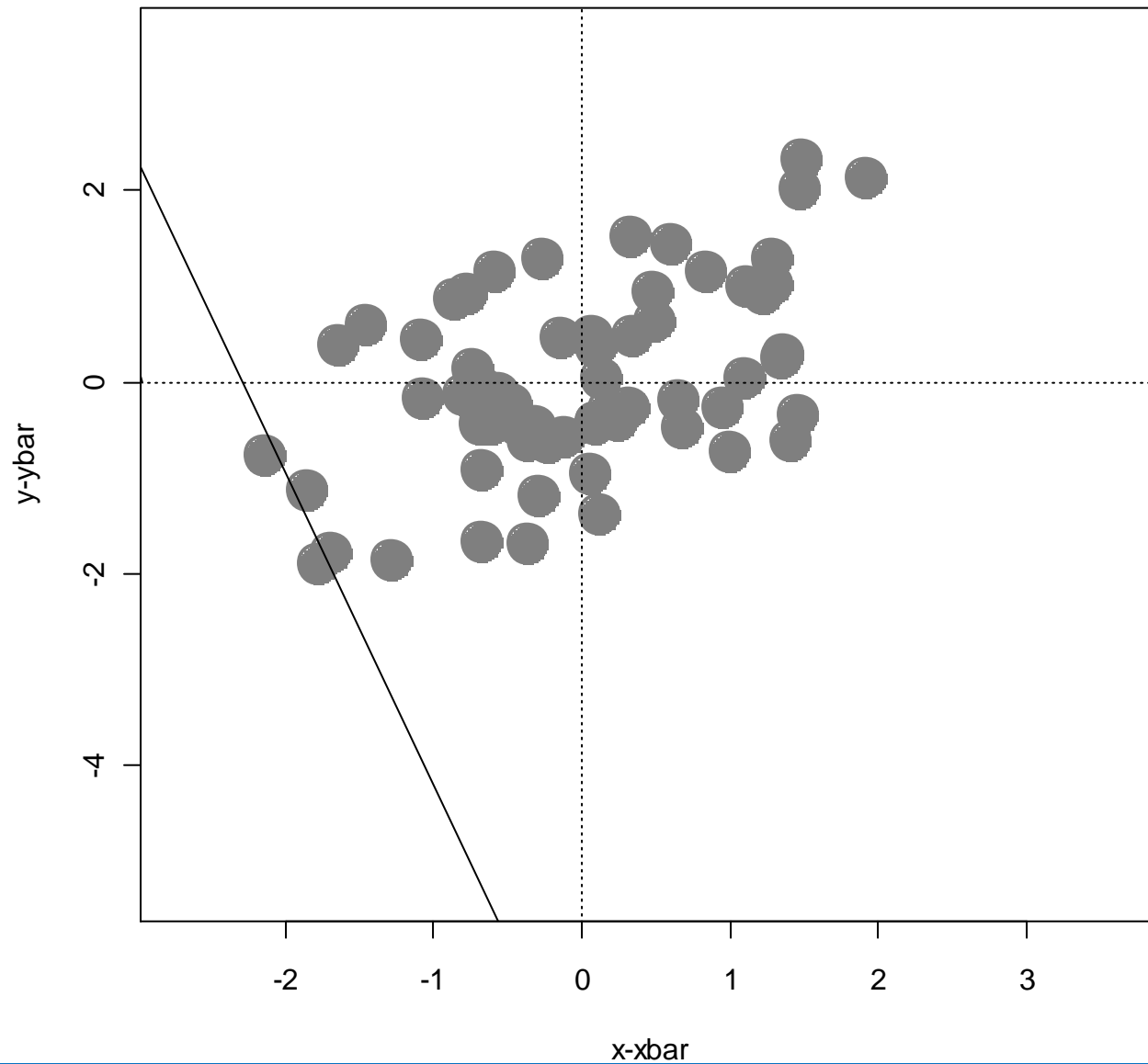
■ =

■ Model

■ y_{it}

■ be

■ wi



BE, FE & RE

- BE: Between group
xtreg y x1 x2, be
reg ybar x1bar x2bar
- FE: Within group
xtreg y x1 x2, fe
reg yd x1d x2d /* within-group */
reg y x1 x2 i.id /* LSDV */
- RE: Somewhere in between
xtreg y x1 x2, re

BE, FE & RE

- BE: Between group

xtreg y
reg yba

- FE: Within group

xtreg y
reg yd
reg yx

- RE: So

xtreg y

```
. est tab be fe re, b se t p stat(N r2_a)
```

Variable	be	fe	re
x	-1.3755771 .31952257	.50624442 .11870924	.2780045 .13516773
_cons	-4.31 0.0051 .39733363 .33110716	4.26 0.0001 .00631462 .11468618	2.06 0.0397 .05374002 .3950233
	1.20 0.2754	0.06 0.9563	0.14 0.8918
N	64	64	64
r2_a	.71468049	.13918665	

Legend: b/se/t/p

WHY DIFFERENT?

- y에 내재하는 time-invariant factor 와 x에 내재하는 time-invariant factor가 서로 관련될 수 있기 때문
- x와 u 사이에 cross-sectional correlation이 존재하기 때문
- “Between”은 이러한 time-invariant factor들 간의 cross-sectional relationship을 capture함
- “Within”은 각 개별단위(i)가 시간에 걸쳐 변화할 때 x와 y의 변화량들이 어떠한 관계를 갖느냐를 capture함

HAUSMAN TEST

- Test(“be”와 “fe”의 동일성): FE와 RE를 비교하는 Hausman test
 - `xtreg y x, fe`
`est store fixed`
`xtreg y x, re`
`hausman fixed ., sigmamore [or sigmaless]`

```
. hausman fe re, sig
```

	—— Coefficients ——		(b-B) Difference	sqrt(diag(V_b-V_B)) S.E.
	(b) fe	(B) re		
x	.5062444	.2780045	.2282399	.0502176

b = consistent under Ho and Ha; obtained from xtreg
 B = inconsistent under Ha, efficient under Ho; obtained from xtreg

Test: Ho: difference in coefficients not systematic

chi2(1) = (b-B)'[(V_b-V_B)^(-1)](b-B)
 = 20.66
 Prob>chi2 = 0.0000

유의할 점

- FE는 time-invariant regressor (z_i)의 계수를 추정할 수 없음
 - Within-group variation이 없기 때문
 - 이를 해결하기 위해서는
 - Time-invariant omitted variables (u_i)의 proxy를 많이 포함시키고 RE를 함
 - u_i 는 결국 omitted variables이므로 IV 사용
 - 만일 z_i 가 exogenous하다면 FE 이후에 패널별 평균으로 regression. 예:
xtreg y x, fe
predict w, ue
xtreg w z, be

$$y_{it} = \beta'x_{it} + \gamma'z_i + u_i + \varepsilon_{it}$$

$$w_{it} = y_{it} - \beta'x_{it} = \gamma'z_i + u_i + \varepsilon_{it}$$
$$\bar{w}_i = \gamma'z_i + (u_i + \bar{\varepsilon}_i)$$

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xtreg y x, fe
predict w, ue
xtreg w z, be
 - z_i 의 일부가 endogenous할 때 x_{it} 중 exogenous한 것이 충분히 있으면 IV가 가능 (Hausman & Taylor 1981)

HAUSMAN AND TAYLOR

- 설명변수 $X_{it} = [x1_{it}, x2_{it}, z1_i, z2_i]$, 오차항 $v_{it} = u_i + e_{it}$
- $\text{coeff} = (b1, b2, c1, c2)$
- X 는 e 와 무관(e 에 대하여 strictly exogenous)
- x 는 time-varying, z 는 time-invariant
- $(x1, z1)$ 은 u 와 uncorrelated, $(x2, z2)$ 는 u 와 correlated
- $b1, b2$ 는 FE에 의하여 추정할 수 있음
- $z2$ 때문에 그 다음에 $c1, c2$ 는 직접적 추정불가
- $z2$ 의 IV로서 $x1\bar{bar}_i$ 를 사용함
- `xthtaylor y x1 z1, endog (x2 z2)`


```
. xthtaylor lwage occ south smsa ind exp exp2 wks ms union fem blk ed,
> endog(exp exp2 wks ms union ed)
```

Hausman-Taylor estimation
Group variable: id

```
Number of obs      =      4165
Number of groups   =      595
Obs per group: min =         7
                  avg =         7
                  max =         7

Wald chi2(12)      =    6891.87
Prob > chi2        =      0.0000
```

Random effects u_i ~ i.i.d.

lwage	Coef.	Std. Err.	z	P> z	[95% Conf. Interval]	
TVexogenous						
occ	-.0207047	.0137809	-1.50	0.133	-.0477149	.0063055
south	.0074398	.031955	0.23	0.816	-.0551908	.0700705
smsa	-.0418334	.0189581	-2.21	0.027	-.0789906	-.0046761
ind	.0136039	.0152374	0.89	0.372	-.0162608	.0434686
TVendogenous						
exp	.1131328	.002471	45.79	0.000	.1082898	.1179758
exp2	-.0004189	.0000546	-7.67	0.000	-.0005259	-.0003119
wks	.0008374	.0005997	1.40	0.163	-.0003381	.0020129
ms	-.0298508	.01898	-1.57	0.116	-.0670508	.0073493
union	.0327714	.0149084	2.20	0.028	.0035514	.0619914
TIexogenous						
fem	-.1309236	.126659	-1.03	0.301	-.3791707	.1173234
blk	-.2857479	.1557019	-1.84	0.066	-.5909179	.0194221
TIendogenous						
ed	.137944	.0212485	6.49	0.000	.0962977	.1795902
_cons	2.912726	.2836522	10.27	0.000	2.356778	3.468674
sigma_u	.94180304					
sigma_e	.15180273					
rho	.97467788	(fraction of variance due to u_i)				

Note: TV refers to time varying; TI refers to time invariant.

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xtreg y x, fe
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 - z_i 의 일부가 endogenous할 때 x_{it} 중 exogenous한 것이 충분히 있으면 IV가 가능 (Hausman & Taylor 1981)
- 설명변수의 외생성
 - $v_{it} = u_i + e_{it}$ 일 때, x 와 v 는 상관될 수 있으나 x 와 e 는 모든 시간에 걸쳐 독립
 - 현재의 x 가 과거의 e 에 의해서도 영향을 받지 않음
 - 모든 endogeneity는 시간불변의 요소(u_i)에 기인함

용어 및 요점 정리

- u_i
 - 설명변수와 무관: random effects
 - 설명변수와 상관: fixed effects
- e_{it} 와의 관계
 - Exogenous: $Ex_{is}e_{it}=0$ for all s and t
 - Predetermined: $Ex_{is}e_{it}=0$ for $s \leq t$
 - Endogenous: $Ex_{is}e_{it}=0$ for $s < t$
- Stata commands
 - “xtgls”, “xtpcse”, “xtreg, re”: exogenous regressors + random effects
 - “xtreg, fe”: TV exogenous regressors + random or fixed effects
Note: “xtregar” = FE GLS with large T under AR(1) assumption for e
 - “xthtaylor”: TV and TI exogenous regressors + random or fixed effects
- Predetermined or endogenous regressors? A: DPD

Note: $Ex_{is}e_{it} \neq 0$ for all s, t ?

DYNAMIC PANEL DATA MODELS

- $y_{it} = a + d*y_{it-1} + b*X_{it} + u_i + e_{it}$
- $X = [x1, x2, x3]$
 - x1: exogenous
 - x2: predetermined
 - x3: endogenous
- u_i : fixed effects
- Estimation
 - No RE available
 - Within + OLS/GLS: Biased and inconsistent unless T large + N small
 - xtpcse, xtglsl, xtreg, xtaylor, xtregar, etc., are all useless.

DIFFERENCE GMM FOR DPD

- FD & write the equation in terms of changes (in order to eliminate fixed effects)
- Transformed error is $\Delta e[it] = e[it] - e[it-1]$
- Arellano and Bond (1991): Instruments =
 - $x1[i1], \dots, x1[it]$
 - $x2[i1], \dots, x2[it-1]$
 - $x3[i1], \dots, x3[it-2]$
 - $y[i1], \dots, y[it-2]$
- Stata
 - `xtabond y l(0/1).x1, pre(x2) endo(x3) lags(2) vce(r)`

PERSISTENT PANELS AND SYSTEM GMM

- For panel AR(1), if the AR coefficient is close to 1 (persistent), different GMM suffers from weak instrument problem.
- To solve this, assume that the system was initialized long time ago. (Has reached stationarity if not integrated.)
- A solution: System GMM
 - Difference GMM: Differenced equation + levels instruments
 - Levels GMM: Levels equation + differenced instruments
 - $y_{it} = d \cdot y_{it-1} + u_i + e_{it}$, IV: $\Delta y_{i2}, \dots, \Delta y_{it-1}$ if Δy_{is} consists of e_{is}, e_{is-1}, \dots only.
- Stata
 - `xtdpdsys y l(0/1).x1, pre(x2) endo(x3) lags(2)`

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- Stata
 - `xtdpdsys y l(0/1).x1, pre(x2) endo(x3) lags(2)`

TESTS

■ Over-identification test (Sargan test)

- Test the validity of instruments
- Should accept the null hypothesis
- `xtabond ... [, two]`
`estat sargan`
- If rejected, decrease AR order or blame heteroskedasticity.
- Hansen's J test if heteroskedastic. Install `xtabond2`.

■ AR order test (Arellano-Bond test)

- Test that $\Delta e[it]$ is not autocorrelated.
- Should reject H_0 for $\text{lag}=1$, accept H_0 for $\text{lag}>1$.
- “`xtabond ..., two`” or “`xtabond ..., vce(r)`”
`estat abond`
- If you don't get “reject for $\text{lag}=1$, accept for $\text{lag}>1$ ”, increase AR order.

TESTS

```
. qui xtabond y x1, pre(x2) endo(x3)
. estat sargan
```

Sargan test of overidentifying restrictions

H0: overidentifying restrictions are valid

```
chi2(56)      =    95.2558
Prob > chi2    =    0.0008
```

```
. qui xtabond y x1, pre(x2) endo(x3) vce(r)
. estat abond
```

artests not computed for one-step system estimator with vce(gmm)

Arellano-Bond test for zero autocorrelation in first-differenced errors

```
+-----+
|Order |  z      Prob > z|
|-----+-----|
|  1   | -4.4889  0.0000 |
|  2   | -.89204  0.3724 |
+-----+
```

H0: no autocorrelation

MODELS WITH NO LAGGED DEP VARS

- What if there are no lagged dependent variables?
- $y_{it} = a + b1*x1_{it} + b2*x2_{it} + b3*x3_{it} + u_i + e_{it}$
- “xtabond” and “xtdpdsys” are for models with $y[it-1], \dots, y[it-p]$.
- “xtabond y x, lags(0)” does not work.
- Use the raw command “xtdpd”:
`xtdpd y x1 x2 x3, div(x1) dgmdiv(x2,lag(1 .)) dgmdiv(y x3)`
- But before that, think more carefully about your model.
 - Is e serially independent?
 - What’s the meaning of being predetermined if not?

PRACTICAL ISSUES

- Time dummies or linear time trends?
 - Include time dummies to control for global business cycles.
- Consider levels or growth rates?
 - Consider growth if incidental trends are present in levels.
(Differencing converts trends to levels.)
 - Compare and doubt.
- How to determine exo/pre/endo?
 - Time dummies are exogenous.
 - Hard to find exogenous regressors if they are results of economic optimization.
 - If specify as “pre” but the truth is “endo”, estimator is inconsistent.
 - If specify as “endo” when the truth is “pre”, estimator is still consistent but can be wild.

AB1, AB2, SYS1 OR SYS2

- Difference GMM (xtabond) or System GMM (xtdpdsys)?
 - System GMM requires stronger conditions for consistency.
 - Use difference GMM unless AR coefficient is close to 1.
- One step (default) or two step (two)?
 - Two step is efficient according to large sample theory.
 - But one step performs better for usual cases.
 - Recommend: One step + robust inference

FACTORS

- $X_{it} = (a_{1i} * f_{1t} + a_{2i} * f_{2t} + \dots + a_{ri} * f_{rt}) + e_{it}$
- f : common factors, a : factor loading (all unobserved)
- Use eigenvector decomposition to estimate common factors
- Application: FAVAR
 - Find a few number of important factors from a large number of variables.
 - Augment the regression with the factors
 - Dimension reduction

REGRESSION WITH FACTORS

- $y_{it} = c_{it} + b * X_{it} + e_{it}$, $c_{it} = a_{1i} * f_{1t} + a_{2i} * f_{2t} + \dots + a_{ri} * f_{rt}$
- $f_{1t} = 1$ (individual effects), $a_{2i} = 1$ (common time effects)
- No Stata module available.
- Simple 1:
 - Remove factors from both y and X
 - Run panel regression using residuals
 - Greenaway et al. (2012)
- Simple 2:
 - Pesaran's (2006) CCE
 - Include cross-sectional averages for all variables for all t
- Least squares: Bai (2009)

EXAMPLE

```
set more off  
use forreg, clear
```

```
xtset countryname_num year
```

```
local myvar "fdi" // port | other
```

```
global Y sd_`myvar'_gdp
```

```
global X avg_`myvar'_gdp avg_kaopen_std avg_TradeOpen ///  
        avg_infl avg_GDPgrowth sd_GDPgrowth avg_ReserveImports
```

```
xtscc ${Y} ${X}, lag(5)
```

```
xtscc ${Y} ${X}, fe lag(5)
```

```
xtreg l(0/2).${Y} ${X}, fe vce(r)
```

```
xtreg l(0/2).${Y} ${X} i.year, fe vce(r)
```

```
xtdpd l(0/2).${Y} ${X} dum_year*, dgmiv(${Y} ${X}, lag(11 .)) div(dum_year*) vce(r)
```

EXAMPLE

set mo

fdi

port

other

Variable	ls_notsc	fe_notsc	fe_not	fe	dpd
sd_fdi_gdp					
L1.			0.9996***	0.8707***	0.8282***
L2.			-0.1612***	-0.1856***	-0.1671***
avg_fdi_gdp	0.0737	-0.0437	-0.0073	-0.0265	-0.0390
avg_kaopen~d	0.8483***	1.0221***	0.1143	-0.0468	0.0837
avg_TradeO~n	1.0692***	1.7706***	0.1561***	-0.4612	0.1972
avg_infl	0.0161	-0.0390	0.0003	-0.0057	-0.0070
avg_GDPgro~h	-0.0466**	-0.0480*	-0.0058	0.0060	-0.0066
sd_GDPgrowth	0.0283**	-0.0010	0.0039	0.0123	-0.0063
avg_Reserv~s	-0.0248	-0.0077	-0.0092	-0.0095	-0.0187

Legend: * p<0.05; ** p<0.01; *** p<0.001

EXAMPLE

set model

fdi

port

other

Variable	ls_notsc	fe_notsc	fe_not	fe	dpg
sd_port_gdp					
L1.			0.9763***	0.8412***	0.8005***
L2.			-0.0593	-0.0615	-0.0489
avg_port_gdp	0.0460	0.1249*	0.0109	0.0197	0.0825**
avg_kaopen~d	1.5935***	2.1352***	0.2754*	-0.0983	0.0605
avg_TradeO~n	1.2894***	3.9601***	0.3082***	-0.1359	1.7060**
avg_infl	0.1496**	0.1204**	0.0632***	0.0788***	0.0654***
avg_GDPgro~h	-0.0756*	-0.0032	-0.0169	0.0180	0.0067
sd_GDPgrowth	0.0358	0.0634	0.0078	0.0796*	0.0760
avg_Reserv~s	-0.0484	-0.0780**	-0.0069	-0.0367	-0.0301

Legend: * p<0.05; ** p<0.01; *** p<0.001

EXAMPLE

set model

fdi

port

other

Variable	ls_notsc	fe_notsc	fe_not	fe	dpd
sd_other_gdp					
L1.			0.9410***	0.8762***	0.7945***
L2.			-0.1166***	-0.1323**	-0.1419**
avg_o~er_gdp	0.0479	0.0023	0.0333*	0.0431	-0.0294
avg_kaopen~d	0.8440**	1.2684***	0.2599**	0.1540	-0.1453
avg_TradeO~n	1.9394***	1.3332**	0.3690***	0.0633	0.8990
avg_infl	0.0985**	0.0676	0.0424***	0.0397*	0.0131
avg_GDPgro~h	-0.0467	0.0113	-0.0242	-0.0108	-0.0765*
sd_GDPgrowth	0.1648***	0.1862***	0.0426	0.1067*	0.0921
avg_Reserv~s	0.0646**	0.0397*	0.0274**	0.0273	0.0144

Legend: * p<0.05; ** p<0.01; *** p<0.001